Model Question Paper

Fifth Semester B.E.(CBCS) Examination Signals and Systems

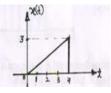
(Common to all Branches)

Max.Marks: 80

Note: Answer any FIVE full questions, choosing at least ONE question from each module

Module-I

- 1. a. Distinguish between i) Even and Odd Signals
 - ii) Periodic and nonperiodic signals (04 Marks)b. Determine whether the following signals are periodic, if periodic determine the
 - fundamental period. i) $x(t) = \cos 2t + \sin 3t$ ii) $x[n] = \sin 2n$ (04 Marks)c. Sketch the following signal for x(t) is shown in figure.(08 Marks)i) x(3t+2) ii) x(2(t+2) iii) x(-2t-1) iv) x(-2t+3)(08 Marks)
 - 1) x(3t+2) 11) x(2(t+2) 111) x(-2t-1) 1V) x(-2t+3) (08 Marks)



- 2. a. Find total energy of the following signals i) x(t) = A; -T/2 < t < T/2 ii) = 0; Otherwise $x(t) = \begin{cases} \frac{1}{2} [\cos(\omega t) + 1] & \frac{-\pi}{\omega} \le t \le \frac{\pi}{\omega} \\ 0 & \text{otherwise} \end{cases}$ (08 Marks)
 - b. Determine whether the system $y(t) = x(n^2)$ is i) Linear ii) Time-invarient iii) Memory iv) Causal v) Stable (08 Marks)

Module-II

- 3. a. Consider an LTI system with input x(n) & unit impulse response h(n) given below,
Compute y(n). x(n) = 2^n u(-n); & h(n) = u(n)(08 Marks)b. Find the step response for the LTI system represented by impulse response
i) h(n) = u(n)ii) h(n) = (1/2)^n u(n)(4 Marks)c. . Determine stability & causality of the following
i) h(n) = (1/2)^n u(n)ii) h(t) = e^{-3t}u(t-1)(4 Marks)
- 4. a. Find Forced response of the following system given by y(n) 5/6 y(n-1) + 1/6 y(n-2) = x(n) where x(n) = 2ⁿ (10 Marks)
 b. Draw direct form-I & II structures for the system described by the differential equation. (6 marks)

Time: 3 Hrs

$$\frac{d^{3}y(t)}{dt^{3}} + \frac{2dy(t)}{dt} + 3y(t) = x(t) + \frac{3dx(t)}{dt}$$

Module-III

| 5. State & prove the following properties of FT. | i) Time shifting property ii) parseval's |
|---|--|
| theorem. | (10Marks) |
| b. Obtain the fourier transform of $x(t) = te^{-at}u(t)$ | (6 Marks) |
| 6. a. Find the fourier transform of rectangular per $x(\omega) = 1/(a+j\omega)^2$ | ulse shown below (08 Marks) |
| b. Find the frequency response & impulse response of the system described by | |
| | |

differential equation. (08 Marks) dy(t)/dt + 8y(t) = x(t)

Module-IV

- 7. a. Obtain the DTFT of the signal x[n] =2ⁿ u(-n) (06 Marks)
 b. State & prove the following properties of DTFT. i) Convolution property ii) Frequency differentiation. (10Marks)
- 8. a. Using DTFT find the total solution to the difference equation for discrete time signal. 5y(n+2) 6y(n+1) + y(n) = 0.8 u(n) (08 Marks)
 b. Find the fourier transform of the following.
 - x(n) = 1; $-2 \le n \le 2$ (08 Marks)
 - = 0 ; Otherwise

Module-V

9. a. Find the Z-transform of the following
i)
$$x(n) = 2^n u(-n-1)$$
 ii) $x(n) = (3)2^n u(-n)$ (08 Marks)

b. Prove the following properties of Z-transform i) Linearity ii) Initial value theorem

(08 Marks)

- 10. a. Find Inverse Z-transform of the following using partial fraction expansion method. $X(z) = (1+2z^{-1}+z^{-2})/(1-1.5z^{-1}+0.5z^{-2})$ (08 Marks)
 - b. Solve the following difference equation using unilateral Z-transform Y(n) + 3y(n-1) = x(n) with x(n) = u(n) and the initial condition y(-1) = 1

(08 Marks)